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Abstract

Asymmetric information in procurement entails double marginalization. The phenomenon is most severe when the buyer has all the bargaining power at the production stage, while it vanishes when the buyer and suppliers' weights are balanced. Vertical integration eliminates double marginalization and reduces the likelihood that the buyer purchases from independent suppliers. Conditional on market foreclosure, the probability that final consumers are harmed is positive only if the buyer has more bargaining power when selecting suppliers than when negotiating over quantities and intermediate prices. The buyer's and consumers' interests are otherwise aligned.

JEL-Codes: L100, L400, D400, D800.

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1 Introduction

The recent revision of the U.S. Vertical Merger Guidelines, and a series of high-profile cases, have revived policy discussions over the pros and cons of vertical integration.¹ Much of the discussion revolved around the antitrust assessment of efficiency claims – a topic not addressed in the previous version of the Guidelines.

The debate has fostered renewed interest in an old and supposedly well-known efficiency gain, the elimination of double marginalization, hereafter EDM.² Among other issues, antitrust scholars and practitioners have discussed whether consumers are likely to benefit from EDM, whether the efficiency gains are really merger-specific, and the relationship between EDM and foreclosure effects of vertical integration. FTC Commissioners Slaughter and Chopra challenged the notion that “vertical mergers often benefit consumers through the EDM”, finding the Guidelines overly optimistic in this respect.³ Slade and Kwoka Jr (2020) argued that vertical integration is not always necessary to achieve the benefits of EDM and that the alleged gains of EDM are merger-specific only if they cannot be achieved by other (less socially costly) means. The textbook presentation of EDM, that restricts attention to linear price schedules, acknowledges that a two-part schedule suffices to solve the problem, and thus does not allow for merger-specific EDM. Commissioner Wilson highlighted that the magnitudes of foreclosure effect and EDM often vary in concert, agreeing that “it is not appropriate to consider EDM as a factor in the calculation of a “net effect”.”⁴

This paper provides a setting in which EDM is not an artefact of contractual restrictions and can thus be merger-specific; EDM and foreclosure effects are closely intertwined; and final consumers may be harmed by the exclusion of an independent suppliers caused by vertical integration. Its main purpose is to examine under which circumstances market foreclosure, in combination with EDM, is pro- or anti-competitive.

¹See the [2020 U.S. Vertical Merger Guidelines](#) as well as the failed attempts by U.S. authorities to prohibit the acquisition of Time Warner by AT&T (*United States v. AT&T Inc., No. 1:17-cv-02511 (D.D.C. 2017)*), of Farelogix by Sabre (*United States v. Sabre Corp. et al. No 1:99-mc-0999 (D. Del. 2020)*); the merger was eventually prohibited by the UK CMA in April 2020) or the merger between Sprint and T-Mobile (*State of New York, et al., v. Deutsche Telekom AG, et al. No 1:19-cv-05434-VM-RWL (S.D.N.Y. 2020)*); this case raised both horizontal and vertical concerns).

²Section 6 of the Guidelines, “Procompetitive effects”, is almost entirely devoted to EDM. The double marginalization phenomenon has first been identified by Cournot (1838) in the context of complementary goods (Chap IX, §57) and by Spengler (1950) within the context a vertical relation.

³The two commissioners voted against the publication of the Guidelines, see their dissenting statements, Chopra (2020) and Slaughter (2020).

⁴See Wilson (2020) and Global Antitrust Institute (2020).

We rely on three building blocks: a procurement setting in which a single buyer acquires a homogenous input from potential suppliers;⁵ asymmetric information about the supplier’s production costs; and a two-stage bargaining mechanism through which prices and quantities are determined. The environment extends that of [Loertscher and Marx \(2020a\)](#) to a setting with variable quantities. Where they assume that the buyer acquires a single unit from a selected supplier, we distinguish two decisions, namely supplier selection and quantity choice. Accordingly, we introduce two sets of bargaining weights that reflect the players’ abilities to influence each of the two decisions in their favor.

The contribution of the paper is threefold. First, we provide theoretical foundations for the double marginalization phenomenon. Informational asymmetry about suppliers’ costs creates a wedge between wholesale prices and production costs. Incentives to reduce the suppliers’ rents are weaker and double marginalization is less severe when selected suppliers have more bargaining power at the production stage. With balanced bargaining power, asymmetric information no longer matters and double marginalization is no longer an issue. Second, we extend the Chicago view on vertical integration in an environment with nonlinear prices. When the buyer has full bargaining power, final consumers are always better off after the buyer has acquired a supplier. Third, vertical integration may harm consumers through a biased make-or-buy decision if the buyer has less bargaining power when negotiating wholesale prices and quantities than when selecting suppliers.

More precisely, vertical integration has the following effects on firms and consumers. First, final consumers are unambiguously better off post-merger if the buyer was already purchasing from the acquired supplier pre-merger. In this case, commonly referred to as EDM in the literature, they benefit directly from the efficiency gain. Second, when an independent supplier sells post-merger, it has to accept a lower payment even though the traded quantity remains unaffected; in that sense there is exploitation by the buyer. Third, the merger causes the buyer to purchase more often from the acquired supplier. Hence, with positive probability, independent suppliers are deprived of the access to final consumers, a phenomenon sometimes referred to as “customer foreclosure”.

The impact of customer foreclosure on final consumers is a priori ambiguous. Assuming that the suppliers’ bargaining power is not higher at the production stage than at the selection stage, the eviction of an independent supplier causes the traded quantity to rise and the retail price to fall post-merger. Under this circumstance, the buyer’s and final consumers’ interests are aligned: EDM within the merged entity, together with the

⁵See [Perry \(1978\)](#) for a seminal model of vertical integration with a monopsonist.

change of supplier, enhances consumer surplus. By contrast, when suppliers' bargaining power increase after selection, customer foreclosure harms consumers with positive probability. With ex ante symmetric suppliers, consumer harm caused by foreclosure is magnified when the buyer fully controls the selection decision and the bargaining power are balanced at the production stage (and hence there is no double margin). In asymmetric configurations, however, vertical integration may correct preexisting distortions and foreclosure then increases consumer surplus even in the absence of double marginalization.

Whether the buyer's degrees of influence over supplier selection and quantity choice are equal or different is therefore critical for merger policy. We derive different predictions in the two environments. In case of equal influence over the two decisions, we find that under vertical separation the buyer purchases more often from more aggressive suppliers and that when considering which suppliers to acquire she favors less aggressive suppliers over more aggressive ones. The predictions are opposite when the buyer has more control over supplier selection than over quantity choice. Under this circumstance, she tends to avoid dealing with aggressive suppliers under separation and prefers to acquire the most aggressive supplier.

The paper is organized as follows. Before closing the introduction, we relate the paper to the existing literature. Section 2 presents the procurement framework and the bargaining environment under asymmetric information. Section 3 characterizes the optimal mechanism under vertical separation and explains how the bargaining weights affect the selection of suppliers and the traded quantity. Section 4 describes the effects of vertical integration and market foreclosure on firms and final consumers in symmetric and asymmetric environments. Section 5 discusses the policy implications of our findings.

Related literature The paper builds on and expands the Industrial Organization literature that emphasizes the role of incomplete information. In the context of the regulation of public monopolies, the early principal-agent literature (Baron and Myerson (1982) and Laffont and Tirole (1986)) highlights the existence of a rent-efficiency trade-off. To reduce the agent's informational rent, the Principal is better off not implementing the complete information outcome. This insight, when applied to our procurement environment, is at the source of the double marginalization phenomenon. Although their motivations were different than ours, it is interesting to note that weights are used in the regulator's objective in both Baron and Myerson and Laffont and Tirole.

McAfee and McMillan (1986, 1987), Laffont and Tirole (1987), and Riordan and Sappington (1987) introduce competition between suppliers and connect the problem to auction theory.⁶ In particular, in Laffont and Tirole (1987), an auction selects a firm which is then regulated. They find that at the regulation stage, the power of incentives does not depend on the auction. Competition for the market is important but it only affects the fixed part of the cost reimbursement scheme. A similar dichotomy result is present in our model. Dasgupta and Spulber (1989) derive the optimal procurement mechanism with variable quantities and supplier competition. The practical implementation of their mechanism is studied by the management literature, see, e.g., Chen (2007), Duenyas, Hu, and Beil (2013) and Tunca and Wu (2009). They do not allow for balanced bargaining nor study vertical integration.

Loertscher and Marx (2019a) model buyer power as the ability to organize an optimal auction à la Myerson. In the spirit of Bulow and Klemperer (1996), they distinguish the ability to discriminate among suppliers (“bargaining power”) and the ability to set binding reserve prices (“monopsony power”). They show that in the absence of cost synergies, a horizontal merger harms the buyer, regardless of buyer power. In a companion paper, Loertscher and Marx (2019b) introduce bargaining weights to model intermediate degrees of buyer power. More recently, Loertscher and Marx (2020a) develop a general bargaining model under incomplete information. They identify a new source of distortion created by vertical mergers. In the presence of bilateral asymmetric information, vertical integration may “render inefficient otherwise efficient bargaining”, thereby reducing the probability of trade. Restricting attention to one-sided asymmetric information, we build on their setup to allow for variable quantities and price-elastic demand. We then concentrate on the effect of vertical integration at the intensive margin, namely on its impact on the traded quantity (given that trade occurs). We can thus examine how EDM and market foreclosure jointly affect final consumers, depending on the bargaining environment.

Assuming inelastic demand, Loertscher and Riordan (2019) study the profitability of vertical integration with an emphasis on suppliers’ R&D investment taking place before the procurement stage. They oppose an “investment-discouragement effect” to a “markup-avoidance effect”. Solving a parametric example, they show that the negative effect dominates and the buyer is better off not integrating vertically.⁷ Our approach is complementary to theirs. We are interested in the impact of vertical integration on final

⁶See the pioneering work of Myerson (1981) and Riley and Samuelson (1981), as well as, Krishna (2002) for an advanced course on auction theory.

⁷See also Allain, Chambolle, and Rey (2016) and Lin, Zhang, and Zhou (2020). In a context where investment is specific to the buyer, it would be natural to include it in the procurement mechanism itself. In this direction, see Tomoeda (2019).

consumers rather than on profitability and for this reason we allow for elastic demand and endogenous quantities.

More broadly, the paper is related to the literature on backward integration. Within perfect information environments, this literature shows how capacity constraints and/or convex costs create incentives for a buyer to raise her rival's costs. [Riordan \(1998\)](#) shows that vertical integration by a dominant firm raises the competitive fringe's cost and always harms consumers through higher prices.⁸ Extending Riordan's analysis to Cournot competition, [Loertscher and Reisinger \(2014\)](#) find that vertical integration is more likely to benefit consumers when the industry is more concentrated. [De Fontenay and Gans \(2004\)](#) examine as we do backward integrations by monopsonists. Assuming that suppliers have convex costs, they show that vertical mergers enable buyers to deal with fewer suppliers and thus to exert their monopsony power,⁹ which always harms consumers. They assume efficient bilateral bargaining with individual suppliers hence no double marginalization. Here, we abstract away from raising rivals' costs considerations. Consumer harm (if any) comes *directly* from the impact on independent suppliers.

A growing empirical literature evaluates how vertical arrangements alleviate the double marginalization problem. In the supermarket industry, [Sudhir \(2001\)](#), [Villas-Boas \(2007\)](#), [Bonnet and Dubois \(2010\)](#), [Cohen \(2013\)](#) find evidence that under vertical separation manufacturers and retailers use nonlinear pricing contracts. For instance, the results of [Villas-Boas \(2007\)](#) rule out double marginalization in the yoghurt market. On the contrary, in the movie industry, [Gil \(2015\)](#) finds that vertically integrated theaters charge lower prices, putting forward EDM as an important explanation.¹⁰ In the carbonated beverage industry, [Luco and Marshall \(2020\)](#) find that vertical integration causes price decreases for products with eliminated double margins but also price increases for the other products sold by the integrated firm. This is consistent with the mechanism identified by [Salinger \(1991\)](#), which assumes linear wholesale prices.

To examine vertical relationships in industries where intermediate prices are negotiated, a number of recent studies use the "Nash-in-Nash" bargaining solution, see [Draganska, Klapper, and Villas-Boas \(2010\)](#), [Ho and Lee \(2017\)](#), and [Crawford, Lee, Whinston, and Yurukoglu \(2018\)](#). Consistent with the theoretical model of [Horn and](#)

⁸Yet, total welfare can increase because production is shifted towards the most efficient firm.

⁹[De Fontenay and Gans \(2004\)](#)' bargaining externalities mirror those studied by [Hart and Tirole \(1990\)](#) in the case of one seller dealing with many buyers. See also [Reisinger and Tarantino \(2015\)](#).

¹⁰In the airline industry, [Gayle \(2013\)](#) regards codesharing as a form of vertical relationship and finds it does not fully eliminate DM.

Wolinsky (1988), they assume that buyers and suppliers bargain over linear fees.¹¹ Here, on the contrary, we allow for bargaining over nonlinear prices. Moreover, while these empirical studies assume that wholesale and retail prices are set simultaneously, we adopt here a sequential timing assumption.

EDM is not the only source of efficiency gains in a vertical integration.¹² In their study of the cement industry, Hortaçsu and Syverson (2007) link productivity gains to improved logistics coordination afforded by large local concrete operations. In a broader study of the U.S. manufacturing industry Atalay, Hortaçsu, and Syverson (2014) show that vertical integration promotes efficient intrafirm transfers of intangible inputs. Using the same dataset, Atalay, Hortaçsu, Li, and Syverson (2019) nevertheless estimate a substantial shadow value of ownership in physical shipments.¹³

2 Framework

A buyer B seeks to procure a homogeneous input from potential suppliers S_0, \dots, S_n . The suppliers operate under constant returns to scale and their marginal costs c_i , for $i \in \mathcal{N} = \{0, \dots, n\}$, are independently drawn from distributions F_i with positive densities f_i over $[\underline{c}_i, \bar{c}_i]$. The buyer transforms one unit of input into one unit of output, which she sells to final consumers. For expositional convenience, we assume a monopolistic downstream market. This is for instance the case if a competitive fringe offers a variant of the final good built from a different type of input. Selling quantity q generates gross revenue $R(q) = P(q)q - C(q)$, where $P(\cdot)$ is the inverse demand and $C(\cdot)$ is the buyer's production (i.e., transformation and distribution) cost. For a given supplier's cost c , consumers' surplus is $S(q) = \int_0^q [P(x) - P(q)] dx$, the buyer and selected supplier's joint-profit is $\Pi(q; c) = R(q) - cq$.

We assume that Π is a single-peaked function of q , hence the monopoly quantity $q^m(c) = \arg \max_q \Pi(q; c)$ is uniquely defined and is a decreasing function of c . The monopoly profit, denoted $\Pi^m(c) = \max_q \Pi(q; c)$, is thus a decreasing and convex function of c .

¹¹In the multichannel television industry, Crawford, Lee, Whinston, and Yurukoglu (2018) find significant gains in consumer welfare from vertical integration, in part through the reduction of double marginalization.

¹²Lafontaine and Slade (2007) review empirical findings on the motives and consequences of vertical integration.

¹³They find that having an additional vertically integrated establishment in a given destination ZIP code has the same effect on shipment volumes as a 40% reduction in distance.

2.1 Procurement process

The procurement process has two stages. First, a subset of suppliers $\mathcal{S} \subset \mathcal{N}$ is selected; second the selected firms produce and sell quantities to the buyer. Each stage involves bargaining under incomplete information, which we model by using the flexible price-formation mechanism of [Loertscher and Marx \(2020a\)](#). At each stage, a bargaining mechanism maximizes a weighted industry profit. Let Π_B and U_i be the buyer's and suppliers' profits. Let $\boldsymbol{\lambda} = (\lambda_0, \dots, \lambda_n)$ and $\boldsymbol{\mu} = (\mu_0, \dots, \mu_n)$ denote the suppliers' bargaining power relative to the buyer at the selection and production stage respectively. The bargaining mechanism at the selection stage maximizes $\Pi_B + \sum_{i \in \mathcal{N}} \lambda_i U_i$, while at the production stage it maximizes $\Pi_B + \sum_{j \in \mathcal{S}} \mu_j U_j$.

We assume that the selection mechanism reveals only the minimal information about the suppliers' costs needed to prove that they should be winning, a property called "unconditional winner privacy" (UWP) by [Milgrom and Segal \(2020\)](#).¹⁴ Furthermore, we restrict attention to selection rules that are monotonic in the sense that if S_i with cost c_i is selected then that supplier is also selected when his cost is lower than c_i . Formally, let $\mathbf{x} = (x_0, \dots, x_n)$ denote the selection rule, i.e., $x_i(c_i, \mathbf{c}_{-i}) = 1$ if S_i is selected, and $x_i = 0$ otherwise. The rule is monotonic if for all i x_i is a non-increasing function of c_i , i.e., if there exists a threshold value c_i^{Sel} such that S_i is selected if and only if $c_i \leq c_i^{\text{Sel}}$. UWP means that the threshold c_i^{Sel} depends only on the costs of the *non-selected* suppliers, which we denote by \mathbf{c}_{-S} .

At the production stage, when the buyer bargains with the selected suppliers, it is common knowledge that $c_j \leq c_j^{\text{Sel}}(\mathbf{c}_{-S})$. Bargaining is described by a direct mechanism (\mathbf{Q}, \mathbf{M}) . The quantities $\mathbf{Q} = (Q_j(\hat{\mathbf{c}}))_{j \in \mathcal{S}}$ and payments $\mathbf{M} = (M_j(\hat{\mathbf{c}}))_{j \in \mathcal{S}}$ are functions of costs $\hat{\mathbf{c}} = (\hat{c}_j)_{j \in \mathcal{S}}$ reported by the selected suppliers. The buyer's and suppliers' profits are given by $\Pi_B(\mathbf{c}) = R\left(\sum_{j \in \mathcal{S}} Q_j(\mathbf{c})\right) - \sum_{j \in \mathcal{S}} M_j(\mathbf{c})$ and $U_j(\mathbf{c}) = M_j(\mathbf{c}) - c_j Q_j(\mathbf{c})$.

2.2 Vertical integration

When the buyer acquires a supplier (say S_0), B and S_0 form a single entity. Our baseline model assumes that the buyer perfectly internalizes the profit of the acquired supplier and hence that S_0 's post-merger bargaining weights at the selection and production stages, λ'_0 and μ'_0 , equal the buyer's weights, i.e., $\lambda'_0 = \mu'_0 = 1$. Under this circumstance, the weighted industry profits that govern bargaining at the selection and production stages are changed into $\Pi_B + U_0 + \sum_{i \geq 1} \lambda_i U_i$ and $\Pi_B + U_0 + \sum_{j \in \mathcal{S}^*} \mu_j U_j$, where \mathcal{S}^* is

¹⁴Among others, [Ausubel \(2004\)](#) discusses the importance of privacy in auctions. See also and [Loertscher and Marx \(2020b\)](#).

the set of selected independent suppliers. In a couple of extensions, however, we allow for imperfect internalization of profits within the integrated firm, as in Crawford, Lee, Whinston, and Yurukoglu (2018), and assume only $\lambda_0 \leq \lambda'_0 \leq 1$ and $\mu_0 \leq \mu'_0 \leq 1$.

Our focus is on the impact of vertical integration on traded quantities and consumer surplus. In other words, we analyze the impact of integration at the intensive margin. We therefore assume throughout the paper that bargaining never involves positive reserve prices, i.e., a positive quantity is traded with probability one. This occurs when consumers' willingness to pay (at least for the first units) is sufficiently high.

2.3 Interpretation of two-stage bargaining

The weights $\boldsymbol{\mu}$ reflect both the size and sharing of total profit. If $\boldsymbol{\mu} = 1$, then the total profit of the buyer and the selected suppliers is maximized at the production stage. By contrast, if $\boldsymbol{\mu} = 0$, the buyer's profit is maximized at this stage.

The weights $\boldsymbol{\lambda}$ reflect how each supplier is valued at the selection stage. However, because firms' profits depend on the payments and traded quantities, selection is governed by both sets of bargaining weights. If $\boldsymbol{\lambda} = \boldsymbol{\mu}$, the sequentiality of the procurement process is immaterial. The procurement process can equivalently be represented by an integrated bargaining mechanism (over both selection and production) that maximizes $\Pi_B + \sum_{i \in \mathcal{N}} \lambda_i U_i$. Suppliers' weights equal to zero at both stages, $\boldsymbol{\lambda} = \boldsymbol{\mu} = 0$, represent full buyer power. When the weights are one at both stages, $\boldsymbol{\lambda} = \boldsymbol{\mu} = 1$, the total industry profit is maximized.

Although one-stage bargaining (invariant weights $\boldsymbol{\lambda} = \boldsymbol{\mu}$) is a salient special case, weights can vary between the selection and production stages for several reasons. On the one hand, suppliers could be empowered from belonging to a select few. In that case, a supplier would not lose bargaining power vis-à-vis the buyer once he has been selected, i.e., $\boldsymbol{\mu} \geq \boldsymbol{\lambda}$. An extreme situation is one where the buyer has full control over the selection decision ($\boldsymbol{\lambda} = 0$) but has to bargain at the production stage ($\boldsymbol{\mu} > 0$). On the other hand, a selected supplier could have lost a valuable outside option (by committing to produce for B) meaning that B can extract more rent, i.e. $\boldsymbol{\mu} \leq \boldsymbol{\lambda}$. To illustrate, when $\boldsymbol{\lambda} > 0$ and $\boldsymbol{\mu} = 0$, the buyer is ruthless at the production stage but selection is more consensual.

Although our perspective is on industrial organization and competition policy, our framework can also be viewed through the lens of the theory of the firm. Regarding

supplier selection as an ex ante investment,¹⁵ our two-stage setting can represent hold-up configurations à la Williamson when the production stage is marred by inefficient haggling (i.e., $\mu < 1$ and asymmetric information). It is also consistent with a Hart and Moore hold-up model when the production stage is efficient (i.e., $\mu = 1$).¹⁶

An alternative interpretation of the model is that the mechanism is operated by the procurement division of the buyer, which is in charge of negotiating with potential suppliers. In this interpretation, the positive weights placed on suppliers may reflect the behavioral assumption that the division has a different objective from that of the buyer as a whole. Reasons for that can be related to past or future relationships with suppliers or to soft corruption. Decisions made by two divisions at the selection and production stage may explain different sets of bargaining weights.

3 Vertical separation

In this section, we describe the outcome of the two-stage bargaining process under vertical separation. In section 3.1, we take as given the subset \mathcal{S} of selected suppliers, determine quantities and intermediate prices, and explain how double marginalization emerges as a result of asymmetric information. In section 3.2, we show that a single supplier is selected and explain how the selection probabilities depend on the suppliers' bargaining weights at both stages.

3.1 Production and double marginalization

Let \mathcal{S} denote the subset of selected suppliers. Because the selection rule is monotonic, the selection phase only reveals that the cost of a selected supplier is below a threshold c_j^{Sel} . The cost distributions at the production stage therefore obtain from right-truncations of the original distributions F_j . We define the weighted virtual costs as

$$\Psi_j(c_j; \mu_j) = c_j + (1 - \mu_j) \frac{F_j(c_j)}{f_j(c_j)}, \quad (1)$$

and assume that they are nondecreasing functions of c_j for all μ_j between 0 and 1. The ratios F_j/f_j and hence the functions $\Psi_j(c_j; \mu_j)$ are unaffected by the truncation over $[c_j, c_j^{\text{Sel}}]$.

¹⁵Here we think of supplier selection as an extensive decision: selecting (resp. not selecting) S_i corresponds to investing 1 (resp. 0) in project i . By contrast, [Loertscher and Marx \(2020a\)](#) examine intensive investment decisions to reduce costs or increase demand.

¹⁶See [Gibbons \(2005\)](#) and [Segal and Whinston \(2013\)](#).

Proposition 1. *Under the optimal mechanism, only the selected supplier $j \in \mathcal{S}$ with the lowest virtual cost $\Psi_j(c_j; \mu_j)$ produces. Except for $\mu_j = 1$, the traded quantity, $q^m(\Psi_j(c_j; \mu_j))$, is bilaterally inefficient.*

Proof. See Appendix A. □

When $\mu_j < 1$, the traded quantity is lower than the quantity that maximizes the joint profit of the buyer and the chosen supplier: $q^m(\Psi_j(c_j; \mu_j)) < q^m(c_j)$, and hence the retail price exceeds the monopoly price. Double marginalization results from the wedge $(1 - \mu_j)F_j(c_j)/f_j(c_j)$ between the supplier's cost c_j and his virtual cost $\Psi_j(c_j; \mu_j)$. Thus in contrast to most of the industrial organization/vertical relationship literature, the phenomenon is not caused by contractual limitations (e.g., restriction to linear contracts). The general mechanism allows for efficient quantities to be traded, but the optimal quantity is lowered to reduce the seller's informational rent. The degree of DM, measured by the difference $q^m(c_j) - q^m(\Psi_j(c_j; \mu_j))$, decreases with the supplier's weight μ_j . The phenomenon is most severe when the mechanism maximizes the buyer's profit ($\mu = 0$) and disappears when it maximizes total industry profit ($\mu = 1$).

In addition to the bilateral inefficiency, the supplier with the lowest marginal cost does not necessarily produce. Indeed, in an asymmetric environment, the supplier with the lowest virtual cost may not be the most efficient one (misallocation). Only when selected suppliers are symmetric, i.e., $\Psi_j(\cdot; \mu_j) = \Psi_{j'}(\cdot; \mu_{j'})$, does the most efficient one always produce.

Example Assume that S_0 and S_1 have been selected and their costs are uniformly distributed over $[0, 1]$. The downstream revenue function is $R(q) = q(a - q)$, hence the monopoly quantity is $q^m(c) = (a - c)/2$. As $F(c) = c$, the weighted virtual cost of S_i is $\Psi(c; \mu_i) = (2 - \mu_i)c$. The buyer purchases from S_0 whenever $c_1 > c_0(2 - \mu_0)/(2 - \mu_1)$.

More generally, if cost distributions are symmetric and bargaining weights differ, then the buyer is more likely to purchase from the supplier with the strongest bargaining power. This is because given any identical value for suppliers' costs, a higher bargaining weight reflects that the supplier's rent is less costly and hence is associated with a lower weighted virtual cost.

The magnitude of the DM also depends on market concentration and on the shape of the cost distributions. First, a higher number of potential suppliers makes it more likely that the selected supplier has a low marginal cost, which reduces the observed distortion. Second, consider a symmetric environment where the costs are distributed according to the distribution F with density f and the suppliers' weights are equal

to μ . Suppose now that the common distribution of the suppliers' costs changes to G with density g , and assume that costs are lower under F than under G in the likelihood ratio order, i.e., the likelihood ratio $g(c)/f(c)$ increases with c . Then the DM phenomenon is more severe under F than under G because F/f is larger than G/g and hence the wedge due to asymmetric information is higher under F than under G . Third, consider an asymmetric environment where the bargaining weights are identical but the cost distributions differ. If the cost distribution of S_0 is lower than that of S_1 in the likelihood ratio order, then the buyer is more likely to purchase from S_1 . The mechanism is biased in favor of less efficient suppliers as is standard in Myersonian settings.

3.2 Supplier selection

Given the quantity decision described in Proposition 1, the supplier selection maximizes the weighted industry profit $\Pi_B + \sum_{i \in \mathcal{N}} \lambda_i U_i$. For each $i \in \mathcal{N}$, we introduce the following virtual profit which is assumed to be positive and decreasing in c_i .

$$\pi_i^v = \Pi(q^m(\Psi_i(c_i; \mu_i)); \Psi_i(c_i; \lambda_i)). \quad (2)$$

This virtual profit involves two different virtual costs $\Psi_i(c_i; \lambda_i)$ and $\Psi_i(c_i; \mu_i)$, reflecting the discrepancy in the objectives maximized at both stages of the procurement process. In Appendix B, we provide a simple sufficient condition on the functions $q^m(c)$ and $F(c)$ guaranteeing that π_i^v decreases with c_i .

Example (continued) When F_i is uniform on $[0, 1]$ and the demand is linear, the virtual profit (2) can be written

$$\pi_i^v = [(a - (2 - \lambda_i)c_i)^2 - (\mu_i - \lambda_i)^2 c_i^2] / 4.$$

It is positive and decreasing in c_i provided that $a \geq 3$.

Proposition 2. *Under two-stage bargaining, only the supplier with the highest virtual profit is selected. In equilibrium, S_i earns*

$$U_i(\mathbf{c}) = \begin{cases} \int_{c_i}^{c_i^*(\mathbf{c}_{-i})} q^m(\Psi_i(c; \mu_i)) dc & \text{if } c_i \leq c_i^*(\mathbf{c}_{-i}) \\ 0 & \text{otherwise,} \end{cases} \quad (3)$$

where the optimal selection threshold $c_i^{Sel}(\mathbf{c}_{-i}) = c_i^*(\mathbf{c}_{-i})$ is given by

$$c_i^*(\mathbf{c}_{-i}) = (\pi_i^v)^{-1} (\max_{j \neq i} \pi_j^v). \quad (4)$$

Proof. See Appendix C. □

To understand the intuition of the result, assume that the bargaining weights differ at the two stages. If S_i and S_j are selected, the buyer actually purchases only from the one with the lowest virtual cost. This choice depends on μ_i and μ_j and ignores the weights λ_i and λ_j that are relevant at the selection stage. Hence, from the perspective of that stage, keeping more than one supplier cannot enhance the implicit objective of the bargaining when $\lambda_i \neq \mu_i$. As a result, competition between suppliers is exhausted at the selection stage.

Dominant strategy implementation We now check that the procurement mechanism of Proposition 2 can be implemented by auctioning off a menu of two-part tariffs and letting the buyer decide the quantity she wants to purchase given the tariff chosen by the winning supplier. The first part of the mechanism –the use of an auction for supplier selection– derives from the fact that a monotonic allocation rule preserving UWP can be computed by a deferred acceptance clock auction, a result established by Milgrom and Segal (2020).

Let s denote a clock index. The auctioneer initiates the auction at a low level of s and then raises it gradually. We define

$$c_i^*(s) = \max \{ \underline{c}_i \leq c_i \leq \bar{c}_i \mid \pi_i^v(c_i) \geq s \}. \quad (5)$$

At the clock index s , S_i has access to the menu of two-part tariffs, $\mathcal{T}_i(s)$, which consists of a family of tariffs indexed by \tilde{c}_i in $[\underline{c}_i, c_i^*(s)]$, with wholesale price w_i and fixed part M_i given by

$$\begin{cases} w_i(\tilde{c}_i) = \Psi_i(\tilde{c}_i; \mu_i) \\ M_i(\tilde{c}_i; s) = \int_{\tilde{c}_i}^{c_i^*(s)} q^m(\Psi_i(c; \mu_i)) dc - [w_i(\tilde{c}_i) - \tilde{c}_i] q^m(\Psi_i(\tilde{c}_i; \mu_i)). \end{cases} \quad (6)$$

As the index s increases, the thresholds $c_i^*(s)$ decrease, the menus $\mathcal{T}_i(s)$ shrink, and the suppliers must decide whether to stay or exit. The winner is the last active supplier. If S_i wins at index s , he is offered his current menu $\mathcal{T}_i(s)$, in which he then picks a particular option \tilde{c}_i . Finally facing the wholesale price $w_i(\tilde{c}_i)$, the buyer decides the quantity she wants to purchase. To summarize:

Proposition 3. *The procurement mechanism of Proposition 2 can be described as a three-stage process: (i) a unique supplier is selected through a deferred-acceptance clock auction; (ii) the winning supplier picks a two-part tariff in a menu; (iii) facing that tariff, the buyer chooses a quantity.*

Proof. See Appendix D. □

The implementation result highlights the dichotomy principle presented in Laffont and Tirole (1987), whereby the supplier’s selection and the second-stage incentive problem (here the determination of the traded quantity) are two separate issues. In practice, the auction affects the fixed part of the tariff (a lump-sum transfer) but not the power of incentives. Specifically, the wholesale price chosen by the supplier with cost c_i , which determines the variable part of the two-part tariff, is $w_i(c_i) = \Psi_i(c_i; \mu_i)$. The buyer’s perceived cost is therefore larger than the supplier’s cost, which leads to double marginalization.

Bargaining weights and supplier selection We now investigate how the weights λ and μ affect the supplier selection. Proposition 2 shows that the probability to select S_i is an increasing function of the virtual profit π_i^v given by (2). For a given weight λ_i , the virtual profit is a quasi-concave function of μ_i and reaches its maximum value, $\Pi^m(\Psi_i(c_i; \lambda_i))$, at $\mu_i = \lambda_i$. It increases with λ_i and its overall maximum, $\Pi^m(c_i)$, is achieved when the two bargaining weights are equal to one.

Hereafter, we refer to the special case where the bargaining weights remain constant at the production and selection stages, $\lambda = \mu$, as “one-stage bargaining” because in this case the distinction between selection and production is immaterial.¹⁷

Proposition 4. *Consider two suppliers S_i and S_j with the same cost distribution ($F_i = F_j$) and different bargaining weights at the production stage ($\mu_i > \mu_j$). When λ_i and λ_j are sufficiently close to μ_i and μ_j respectively, S_i is preferred to S_j at the selection stage, $\pi_i^v(c) > \pi_j^v(c)$. The reverse is true when the buyer has enough control over the selection decision, i.e., when λ_i and λ_j are sufficiently small.*

Proof. See Appendix E. □

The parameters μ_i represent the degrees of suppliers’ efficacy or aggressiveness in bargaining over price and quantity at the production stage. Whether more aggressive suppliers tend to be selected (and hence to be admitted into the final bargaining game)

¹⁷If two suppliers $i \neq j$ are selected, the buyer purchases from i if and only if $\Psi_i(c_i; \mu_i) \leq \Psi_j(c_j; \mu_j)$. The choice coincides with the implicit objective of the bargaining at the selection stage if and only if $\lambda_i = \mu_i$ and $\lambda_j = \mu_j$.

depends on how much control the buyer has over the selection process. When she does not have superior bargaining power at the selection stage than at the production stage, i.e., when the environment is close to one-stage bargaining, she tends to select an aggressive supplier, all else being equal. On the other hand, when she has full control at the early stage, she avoids selecting an aggressive supplier.

Figure 1 illustrates the results of Proposition 4 in an economy with two potential suppliers, uniformly distributed costs, and linear demand. When bargaining weights are the same at both stages, $\boldsymbol{\lambda} = \boldsymbol{\mu}$, the buyer purchases more often from the supplier with the largest μ (see the region above the blue line OA). On the contrary, when the objective at the selection stage is aligned with the buyer's own profit ($\boldsymbol{\lambda} = 0$), then the less aggressive supplier is selected more often (see the region below the maroon curve OA').¹⁸

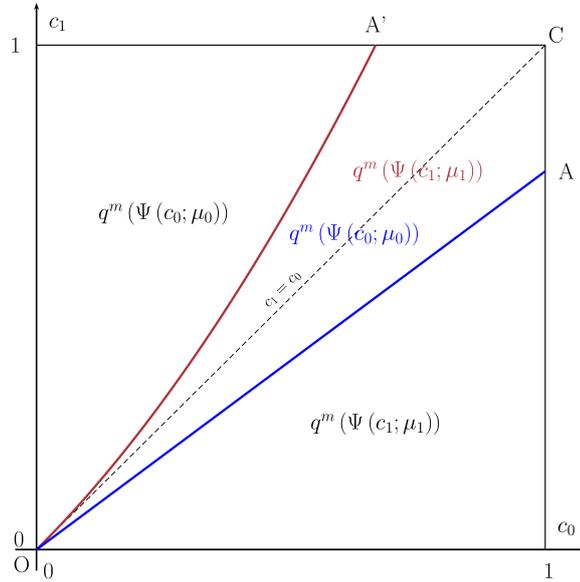


Figure 1: The most aggressive supplier, $\mu_0 > \mu_1$, is selected above the blue line OA under one-stage bargaining ($\lambda_0 = \mu_0$ and $\lambda_1 = \mu_1$), while he is selected above the red line OA' under buyer-controlled selection ($\lambda_0 = \lambda_1 = 0$). Suppliers' costs are uniform on $[0, 1]$, demand is linear.

While the produced quantity is governed by the sole parameters $\boldsymbol{\mu}$, the selection rule depends on $\boldsymbol{\lambda}$ and $\boldsymbol{\mu}$. Because the virtual profit π_i^v increases in λ_i and decreases in μ_i (assuming μ_i greater than λ_i), a supplier with higher λ_i and lower μ_i tends to be selected more often. The latter effect (dependence in μ_i) becomes negligible when $\boldsymbol{\mu}$ tends to $\boldsymbol{\lambda}$, i.e., when the environment gets closer to one-stage bargaining.¹⁹ In that case, the selection is essentially governed by $\boldsymbol{\lambda}$.

¹⁸The selection rule is given in Appendix F.1.

¹⁹This is because $\partial \pi_i^v / \partial \mu_i = 0$ at $\mu_i = \lambda_i$, hence the virtual profit is locally a function of λ_i , see details in Appendix F.1.

4 Vertical integration

We now turn to the study of a vertical merger between the buyer and a supplier, which we denote S_0 .²⁰ After the merger, B and S_0 form a single entity, which causes S_0 's bargaining weights to increase to λ'_0 and μ'_0 . In our baseline model, we assume that these weights equal those of the buyer, i.e., $\lambda'_0 = \mu'_0 = 1$. Once this change of weights is accounted for, the analysis of Section 3 applies.

4.1 Effects on firms and consumers

We now present the main effects of vertical integration. In particular, independent suppliers are more likely to be denied access to the market, a phenomenon often referred to as “customer foreclosure”.

Proposition 5. *Vertical integration eliminates double marginalization whenever the buyer supplies internally. It increases the acquired supplier's probability to produce. Conditional upon producing, independent suppliers sell the same quantity but earn a lower profit post-merger.*

Proof. Because S_0 's profit is fully taken into account at both stages ($\lambda'_0 = \mu'_0 = 1$), information about S_0 's cost is now irrelevant. The analysis of Section 3 thus carries over, replacing the virtual profit π_0^v with $\Pi^m(c_0) > \pi_0^v$. (Recall that the highest possible value of π_0^v is $\Pi^m(c_0)$, that value being achieved only for $\lambda_0 = \mu_0 = 1$.) \square

To describe in more detail the effects of vertical integration, we denote by $\pi_{(n)}^v$ the highest value of the virtual profit among the n independent suppliers. Let $S_{(n)}$ and $c_{(n)}$ be the corresponding supplier and the cost of that supplier.²¹ Finally, let $\pi_{(n-1)}^v$ be the second highest value of the virtual profits among the independent suppliers. We identify four possible regions:

1. *Pure EDM:* $\Pi^m(c_0) > \pi_0^v > \pi_{(n)}^v$. In this case, S_0 produces both pre- and post-merger. Vertical integration thus increases the traded quantity from $q^m(\Psi_0(c_0; \mu_0))$ to $q^m(c_0)$. In this region, the merging parties benefit from the merger whereas the outside suppliers are unaffected. The efficiency gain arising from EDM is passed on to final consumers, hence the textbook Pareto-improvement due to vertical integration.

²⁰In Section 4.2, we endogenize the choice of merging partner.

²¹With symmetric costs distributions and bargaining weights, we have $c_{(n)} = \min(c_1, \dots, c_n)$.

2. *Customer Foreclosure*: $\Pi^m(c_0) > \pi_{(n)}^v > \pi_0^v$. Post-merger, S_0 's bargaining weights have increased and internal procurement is now preferred. As π_0^v is replaced with $\Pi^m(c_0)$, the selection threshold $c_{(n)}^*$ given by (4) falls. The foreclosed supplier $S_{(n)}$ is deprived of the access to final consumers and is therefore harmed by the merger, while the merging parties are jointly better off. The impact of vertical integration on consumers is a priori ambiguous and is discussed in Proposition 6 below.
3. *Exploitation*: $\pi_{(n)}^v > \Pi^m(c_0) > \pi_{(n-1)}^v$. The same supplier $S_{(n)}$ produces pre- and post-merger, with the same quantities being traded in both cases. The profit $U_{(n)}$ of the independent supplier given by (3) is lower because the merger causes the threshold $c_{(n)}^*$ to fall, hence exploitation. Consumers are unaffected by the merger.
4. *Indifference*: $\pi_{(n-1)}^v > \Pi^m(c_0)$. In this case, the merger does not have any effect. Supplier $S_{(n)}$ produces and effectively competes with $S_{(n-1)}$ pre- and post-merger.²²

Final consumers benefit from the merger in the pure EDM region and are unaffected in the exploitation and indifference regions. In the foreclosure area, the merger causes the buyer to switch from $S_{(n)}$ to S_0 , and hence the quantity to move from $q^m(\Psi_{(n)}(c_{(n)}; \mu_{(n)}))$ to $q^m(c_0)$. The resulting quantity variation depends on two opposite effects. On the one hand, the merger eliminates DM for the internal supplier, which pushes the post-merger quantity upwards. On the other hand, it locally creates a cost inefficiency, which pushes the post-merger quantity downwards. Specifically, because $\Pi^m(c) > \pi_{(n)}^v(c)$ for any c , we have $c_{(n)} < c_0$ along the boundary of the foreclosure area where the equality $\Pi^m(c_0) = \pi_{(n)}^v$ holds. Therefore, in a neighborhood of that boundary, the production cost increases from $c_{(n)}$ to c_0 . Proposition 6 underlines the role of the bargaining weights λ and μ in this tradeoff.

Proposition 6. *The post-merger make-or-buy decision is aligned with the final consumers' interest if and only if $\lambda \geq \mu$. In this case, a merger between the buyer and any supplier enhances consumer welfare for all values of the suppliers' costs. Otherwise, if $\lambda_j < \mu_j$ for some independent supplier, the eviction of that supplier harms consumers with positive probability.*

Proof. Suppose first that $\lambda \geq \mu$. Because the virtual profit increases with λ_i , we have $\pi_i^v \geq \Pi^m(\Psi_i(c_i; \mu_i))$. If S_i is foreclosed due to the merger, we have $\Pi^m(c_0) \geq \pi_i^v$, hence

²²In a symmetric environment, the probability of indifference tends to one and the profitability of the merger diminishes to zero as the number of potential suppliers grows large.

$\Pi^m(c_0) \geq \Pi^m(\Psi_i(c_i; \mu_i))$, or equivalently $q^m(\Psi_i(c_i; \mu_i)) \leq q^m(c_0)$. It follows that the merger causes the quantity to rise and improves consumer welfare.

Next, suppose $\lambda_j < \mu_j$ for some j . By monotonicity of the virtual profit, this implies $\pi_j^v < \Pi^m(\Psi_j(c_j; \mu_j))$. The foreclosure region can thus be divided into two subregions, see Figure 2. If $\pi_0^v < \pi_j^v < \Pi^m(c_0) < \Pi^m(\Psi_j(c_j; \mu_j))$, the switch from S_j to S_0 harms final consumers due to a lower quantity: $q^m(c_0) < q^m(\Psi_j(c_j; \mu_j))$. On the contrary, if $\pi_0^v < \pi_j^v < \Pi^m(\Psi_j(c_j; \mu_j)) < \Pi^m(c_0)$, final consumers benefit from a larger quantity. \square

The first part of Proposition 6 supports the optimistic view that vertical integration benefit consumers. A special case is the standard Myersonian setup where the buyer has full bargaining power, $\lambda = \mu = 0$. More generally, when the suppliers' bargaining weights do not increase between the selection and the production stages, in particular under one-stage bargaining, customer foreclosure is associated with a rise in quantity and thus is procompetitive. Final consumers unambiguously benefit from a vertical merger. In fact, in this bargaining environment, they would like more foreclosure.

The second part calls for a tougher stance on the treatment of EDM in vertical mergers. In the arguably realistic case where suppliers gain bargaining power after selection, $\mu > \lambda$, customer foreclosure is anticompetitive with positive probability. Corollary 1 highlights that in the absence of DM prior to the merger customer foreclosure unambiguously harms final consumers.

Corollary 1. *Suppose that the potential suppliers have identical cost distributions ($F_i = F$ for all i), the buyer fully controls the selection decision ($\lambda = 0$), and there is no DM pre-merger ($\mu = 1$). Then final consumers are always harmed by the foreclosure of independent suppliers.*

With symmetric suppliers and no double marginalization ($\mu = 1$), consumer surplus is maximized pre-merger as the buyer always purchases the monopoly quantity from the most efficient supplier ($q = q^m(\min c_i)$). After the merger, in the customer foreclosure region, the buyer purchases from S_0 while it is less efficient than an independent supplier, hence a fall in the traded quantity and a loss in consumer surplus.²³

Example (continued) Assume there are two symmetric potential suppliers, $\lambda_0 = \lambda_1 = \lambda$, $\mu_0 = \mu_1 = \mu$. Under vertical separation, the most efficient firm is selected but the quantity is distorted downwards, as shown on Figure 2(a). The post-merger equilibrium is represented on Figure 2(b).²⁴ The pure EDM region is located above

²³We show in Section 4.2 how this result is modified in asymmetric environments.

²⁴Details can be found in Appendix F.2.

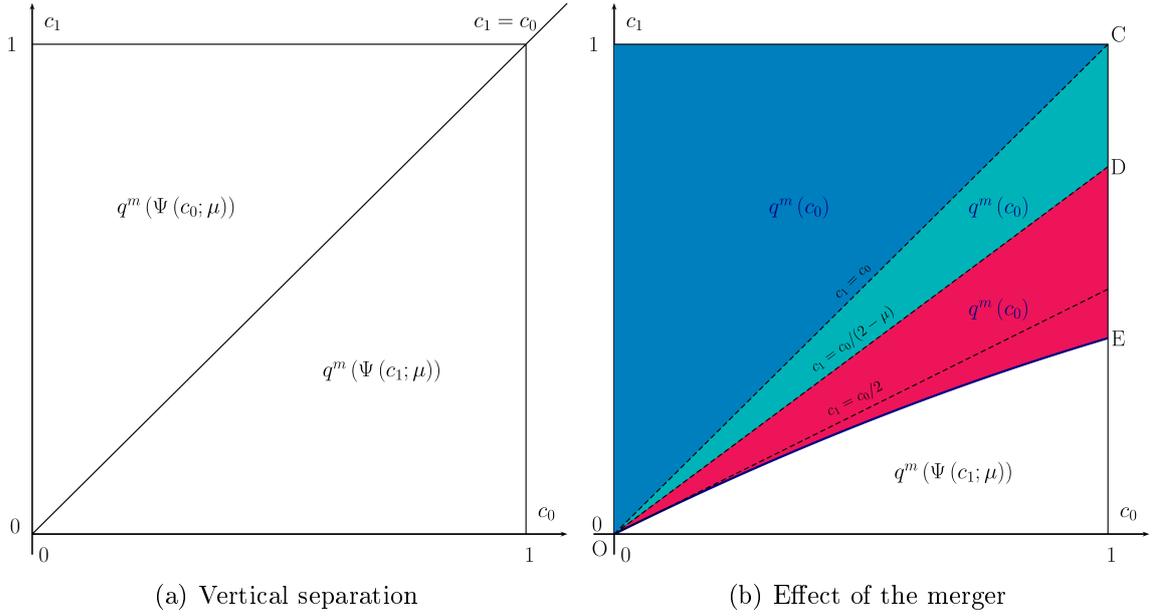


Figure 2: Effect of the merger on consumers' surplus. Suppliers' costs are uniform on $[0, 1]$, demand is linear, $\lambda_0 = \lambda_1 = 0$, and $0 < \mu_0 = \mu_1 < 1$. Foreclosure area: OCE . Consumer harm: ODE . Consumer benefit: ODC

the 45 degree line, OC , whereas the exploitative region is the area below the line OE . The customer foreclosure region, OCE , is separated in two parts by the line OD along which the actual cost of the integrated supplier equals the virtual cost of the independent supplier, $c_0 = \Psi(c_1; \mu)$. Consumers prefer the buyer to supply internally above the line (i.e., in the ODC region) and from the independent supplier below the line (i.e., in the ODE area).

Figures 3(a) and 3(b) further stress the role of bargaining over wholesale prices and quantities. For $\mu = 0$, the lines OD and OE coincide. As μ increases, they shift respectively upwards and downwards. For $\mu = 1$, the lines OD and OC coincide. Therefore, when DM is severe pre-merger (low μ), backward integration mostly benefits consumers. On the contrary, when the DM phenomenon is mild (high μ), customer foreclosure mostly harms final consumers.

More generally, with symmetric cost distributions and bargaining weights, anticompetitive foreclosure arises whenever the suppliers' bargaining power increases between the selection and production stages ($\lambda < \mu$), and is magnified when $\lambda = 0$ and $\mu = 1$.

Imperfect internalization within the integrated firm So far, we have assumed that the post-merger bargaining weights of the acquired supplier are $\lambda'_0 = \mu'_0 = 1$. Following Crawford, Lee, Whinston, and Yurukoglu (2018), we now relax this assumption and assume that vertical integration yields increased, but not necessarily perfect,

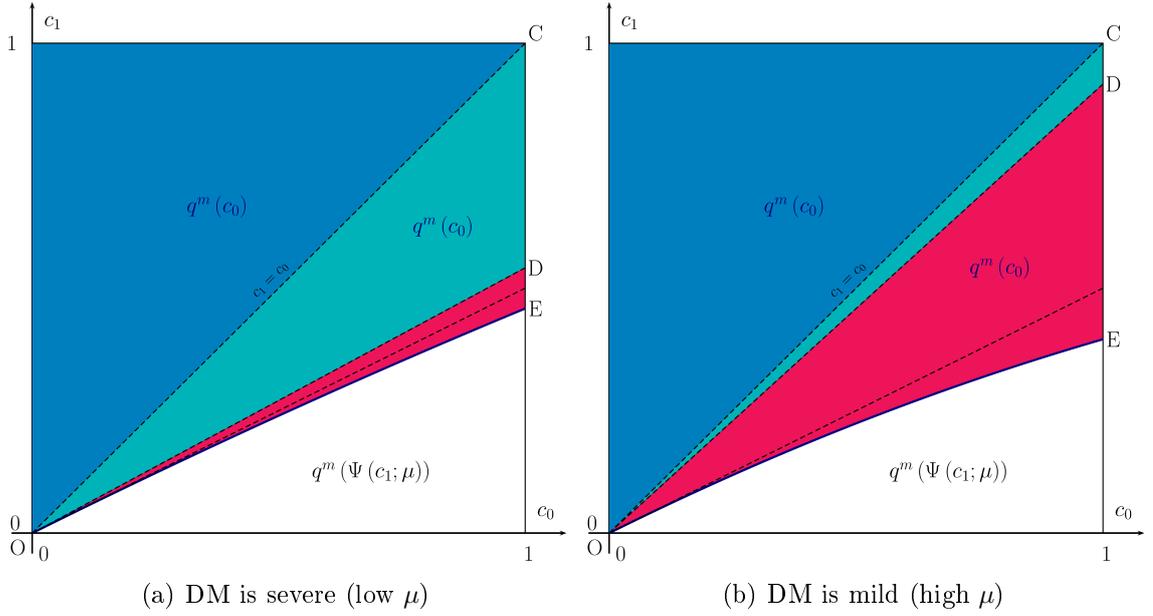


Figure 3: Role of bargaining over price and quantity. Suppliers' costs are uniform on $[0, 1]$, demand is linear, $\lambda_0 = \lambda_1 = 0$, and $0 < \mu_0 = \mu_1 = \mu < 1$. Foreclosure area: OCE . Consumer harm: ODE

internalization of profits within the merged entity: $\lambda_0 < \lambda'_0 \leq 1$ and $\mu_0 < \mu'_0 \leq 1$. In particular, when $\mu_0 < \mu'_0 < 1$, the double marginalization phenomenon is alleviated but is not fully eliminated when the buyer supplies internally post-merger.

We know from the first part of Proposition 6 that the merger is pro-competitive when $\lambda = \mu$. This remains true even if double marginalization is not fully eliminated within the merged entity.

Corollary 2. *If $\lambda = \mu$ and $\lambda_0 = \mu_0 < \lambda'_0 = \mu'_0 < 1$, then independent suppliers are foreclosed with positive probability, but vertical integration always increases consumer surplus.*

Proof. The merger increases the integrated supplier' virtual profit from $\Pi^m(\Psi_0(c_0; \lambda_0))$ to $\Pi^m(\Psi_0(c_0; \lambda'_0))$. It follows that independent suppliers lose access to the market with positive probability. The quantity rises from $\max(q^m(\Psi_0(c_0; \mu_0)), q^m(\Psi_{(n)}(c_{(n)}; \mu_{(n)})))$ to $\max(q^m(\Psi_0(c_0; \mu'_0)), q^m(\Psi_{(n)}(c_{(n)}; \mu_{(n)})))$, where $S_{(n)}$ is the independent supplier with the highest virtual profit. \square

Similarly, the anticompetitive effect of customer foreclosure when the suppliers gain bargaining power at the production stage (second part of Proposition 6) holds true when some double marginalization subsists within the integrated structure. In other words, we can relax the assumption $\lambda'_0 = \mu'_0 = 1$ as the next result shows.

Corollary 3. *Suppose that $\lambda_j < \mu_j$ for some independent supplier and that $\mu'_0 = \lambda'_0 > \max(\lambda_0, \mu_0)$. Then with positive probability S_j 's eviction harms final consumers.*

Proof. Because $\mu'_0 = \lambda'_0 > \max(\lambda_0, \mu_0)$, S_0 's virtual surplus is higher post-merger than pre-merger, hence foreclosure. By monotonicity of the virtual profit, we have $\pi_j^v < \Pi^m(\Psi_j(c_j; \mu_j))$. Along the boundary of the foreclosure region, $\pi_j^v = \Pi^m(\Psi_0(c_0; \mu'_0))$, which implies $\Psi_0(c_0; \mu'_0) > \Psi_j(c_j; \mu_j)$. Hence, locally the merger causes S_j to be replaced with S_0 and the quantity to fall from $q^m(\Psi_j(c_j; \mu_j))$ to $q^m(\Psi_0(c_0; \mu'_0))$. \square

Total welfare Total welfare $W(q; c) = \int_0^q P(x)dx - C(q) - cq$ is highest when the buyer deals with the most efficient supplier (i.e., with the lowest marginal cost). In the absence of vertical integration, efficiency is achieved when the buyer selects a supplier through an inverse second-price auction without reserve price.

The effect of vertical integration on total welfare is as follows. In the pure EDM region, total welfare increases unambiguously. In the exploitation and indifference regions, total welfare is unaffected. Hereafter, we focus on the foreclosure region, where total welfare moves from $W(q^m(\Psi_i(c_i; \mu_i)); c_i)$ to $W(q^m(c_0); c_0)$ as the independent supplier S_i is replaced with S_0 . As explained above, the merger eliminates double marginalization but locally increases production costs.²⁵

Proposition 7. *Whenever vertical integration harms final consumers, it lowers total welfare.*

Proof. Suppose that S_i is foreclosed from the market. Final consumers are harmed if and only if the quantity falls post-merger, i.e., $q^m(c_0) < q^m(\Psi_i(c_i; \mu_i))$ or equivalently $c_0 > \Psi_i(c_i; \mu_i)$. The latter condition implies $c_0 > c_i$, hence a fall in total welfare (lower quantity, higher unit cost). \square

Proposition 7 states that the region associated with total welfare losses is broader than the region associated with consumer surplus losses. Antitrust authorities should keep in mind that even if a vertical merger benefits final consumers, it can be welfare-detrimental due to productive misallocation. On Figure 4, this occurs in the ODD' area. Total welfare falls in OED' while consumer surplus falls in the narrower region OED .²⁶

4.2 Asymmetric environments

In this section, we consider environments where potential suppliers differ in cost distributions or bargaining power. We first highlight pro-competitive aspects of customer

²⁵Recall that close to the boundary of the foreclosure region, $\Pi^m(c_0) = \pi_i^v(c_i)$, we have $c_0 > c_i$.

²⁶The equation of OD' in the example is given in Appendix F.2.

either $\lambda_0 = \lambda_1 < \mu_1 < \mu_0$ or $\lambda_0 < \lambda_1, \mu_0 = \mu_1$. It also holds in the configuration considered below.

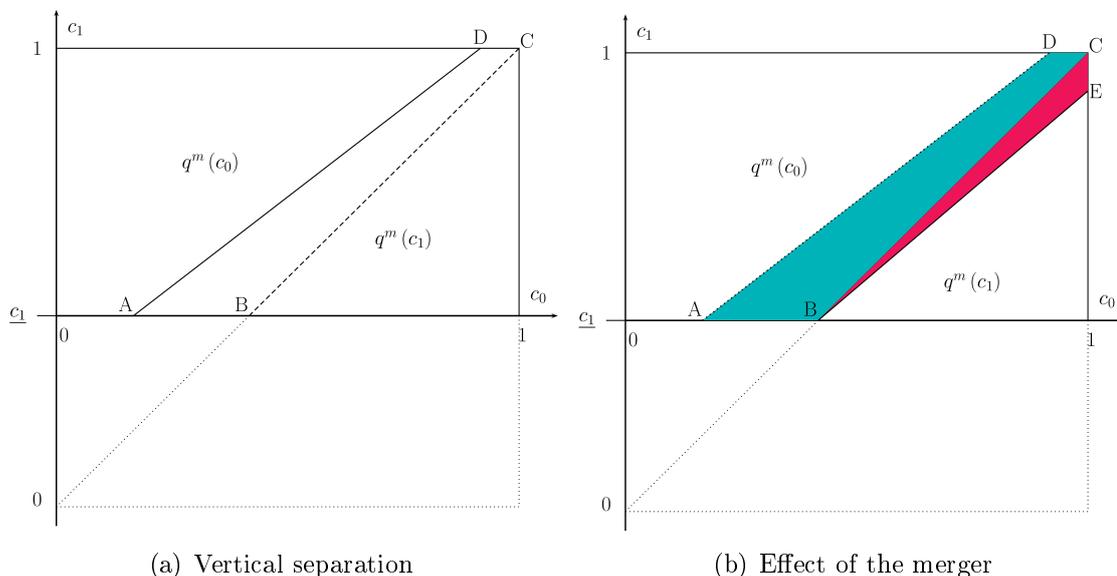


Figure 5: Acquired supplier more efficient than independent supplier ($F_0/f_0 > F_1/f_1$). $\mu_0 = \mu_1 = 1$. Foreclosure area: $ABECD$. Consumer benefit: $ABCD$. Consumer harm: ACE

Corollary 4. *Suppose that the buyer fully controls the selection decision ($\lambda_0 = \lambda_1 = 0$), there is no DM pre-merger ($\mu_0 = \mu_1 = 1$), and c_0 is lower than c_1 in the likelihood ratio order ($F_0/f_0 > F_1/f_1$). Then final consumers benefit from the foreclosure of S_1 with positive probability.*

In section 4.1, we established that in symmetric environments with no DM pre-merger foreclosure of independent suppliers harms final consumers with probability one (recall Corollary 1). Corollary 4 highlights the role of the symmetry assumption in this result. When S_0 is more likely to have lower costs than his rival, the pre-merger mechanism discriminates against S_0 . The asymmetry of the cost distributions implies a distortion in favor of the weakest supplier, as is standard in the Myerson framework. Vertical integration corrects this distortion and the foreclosure of S_1 is partly pro-competitive.

Figure 5(a) illustrates Corollary 4 when the costs of the acquired supplier and of the independent supplier are uniformly distributed on $[0, 1]$ and $[\underline{c}_1, 1]$, $\underline{c}_1 > 0$, respectively. Under separation, the buyer selects supplier S_1 when (c_0, c_1) lies at the right of (AD) , although in the $ABCD$ area S_1 is less efficient than S_0 . Post-merger, the buyer on the contrary favors her internal supplier, which is selected when (c_0, c_1) lies at the left of (BE) , see Figure 5(b). This creates a productive misallocation in BEC where S_0 is

selected and is less efficient than S_1 . In sum, the customer foreclosure region –the area $ABECD$ – can be divided in two subregions. In $ABCD$, the quantity rises from $q^m(c_1)$ to $q^m(c_0)$, which benefits consumers. This is because the merger restores productive efficiency in this region. In BEC , the quantity falls from $q^m(c_1)$ to $q^m(c_0)$, which harms the consumers.

Choice of merging partner We now allow the choice of the acquired supplier to be endogenous. We assume that the buyer can approach each of the two suppliers and make take-it-or-leave-it offer with a payment in exchange of vertical integration. As the merger is jointly profitable it will take place, with the supplier that rejects the offer become the independent supplier. The buyer must leave the corresponding profit to convince a supplier to accept her offer. Let $\Pi_{BS_i}^i$ and $\Pi_{S_j}^i$ denote the joint profit of the merging parties B and S_i and the profit of the outsider S_j in the case where B and S_i have merged, $i \neq j$. The buyer prefers to approach S_0 if and only if

$$\Pi_{BS_0}^0 - \Pi_{S_0}^1 \geq \Pi_{BS_1}^1 - \Pi_{S_1}^0,$$

which occurs if and only if the total industry profit is higher under the BS_0 -merger than under the BS_1 -merger.

We first emphasize the role of cost distributions. We focus on the bargaining environment of Corollary 4.

Proposition 9. *Suppose that the buyer fully controls the selection decision ($\lambda_0 = \lambda_1 = 0$), there is no DM pre-merger ($\mu_0 = \mu_1 = 1$), and c_0 is lower than c_1 in the likelihood ratio order ($F_0/f_0 > F_1/f_1$) Then the buyer prefers to integrate with supplier S_0 .*

From Corollary 4 and Proposition 9, we conclude that the presence of asymmetric suppliers ex ante tends to make the vertical merger less harmful to consumers. The reason is as follows. Under separation, the allocation is distorted towards the weaker buyers, resulting in suboptimal quantities and a loss in consumer welfare. The buyer is likely to integrate with the most efficient supplier, which causes the less efficient one to be excluded from the market in a large region. In the subregion of the foreclosure zone where productive efficiency is restored, the switch to the internal supplier is beneficial to consumers.

Next, we examine how the choice of the acquired supplier depends on the suppliers' bargaining weights. We first show that under one-stage bargaining (i.e., when the bargaining weights remain constant between selection and production), the buyer prefers to merge with the less powerful supplier.

Proposition 10. *Suppose there are two potential suppliers with the same cost distribution F and bargaining weights $\lambda_0 = \mu_0 > \lambda_1 = \mu_1$. The post-merger industry profit is higher when the buyer integrates with S_1 than when she integrates with S_0 . As a result, she prefers to integrate with S_1 than with S_0 .*

Proof. See Appendix I □

The result of Proposition 10 involves two effects that play in the same direction. First, when post-merger the buyer purchases from the independent supplier, the quantity and industry profit increase with the bargaining power of that supplier at the production stage, so a larger weight of the outsider is associated with a higher industry profit. This pushes the buyer to merge with the aggressive supplier, S_1 . Second, there is more foreclosure if she acquires S_0 than if she acquires S_1 , and as a result a higher industry profit in the latter case. This, again, pushes the buyer to acquire S_1 rather than S_0 .

Example: Acquiring the less aggressive supplier Suppose $a = 3$, $F_0 = F_1$ uniform on $[0, 1]$, $\lambda_0 = \mu_0 = .8$, $\lambda_1 = \mu_1 = .2$. Then the industry profit is higher when B merges with S_1 (1.786) than when she merges with S_0 (1.751). Then the buyer prefers to merge with the less aggressive supplier S_1 .

Finally, we check that the above results, which may seem counterintuitive, are potentially reversed when the buyer fully controls the selection decision. The reason is that in this case there is *less* foreclosure if she acquires S_0 than if she acquires S_1 , which pushes the buyer to acquire S_0 .

Example: Acquiring the most aggressive supplier Suppose $a = 3$, $F_0 = F_1$ is uniform on $[0, 1]$, $\lambda_0 = \lambda_1 = 0$, $\mu_0 = 1 > \mu_1 = 0$. Then the industry profit is higher when B merges with S_0 (1.740) than when she merges with S_1 (1.738). Hence the buyer prefers to merge with the most aggressive supplier S_0 . This example show that when the buyer fully controls the selection decision, she may want to acquire the most aggressive supplier and leave the less aggressive one as the independent supplier. See Appendix J for details.

5 Discussion

Suppliers endowed with market power charge prices to intermediate buyers that exceed their marginal cost, which combined with downstream mark-ups may result in inefficiently low quantities and high retail prices. In the textbook successive monopolies

model, the final price exceeds the price that would be charged by a vertically integrated firm. In that sense, vertical mergers eliminate the double marginalization problem and allow the new entity to set a lower price thereby simultaneously increasing aggregate profits and consumer surplus. The canonical model has led to the entrenched view among antitrust practitioners that vertical mergers help solving the double marginalization problem. For instance, the FTC Bureau of Competition Director argued in 2018 that *“due to the elimination of double-marginalization and the resulting downward pressure on prices, vertical mergers come with a more built-in likelihood of improving competition than horizontal mergers.”*²⁸

This perception of EDM claims as “intrinsic” efficiency justifications has been heavily criticized. For instance, Salop (2018) argues that such claims do not deserve to be silver bullets in vertical merger cases and advocates for more stringent policy intervention.²⁹ Slade and Kwoka Jr (2020) regret that *“policy analysis has continued to treat the claimed benefits from EDM relatively uncritically, too often automatically crediting vertical mergers with the cost saving benefits predicted by the classic economic model.”* In particular, they stress that EDM claims implicitly assume that the alleged cost savings require vertical integration for their realization, i.e., that the cost savings should be merger-specific.

The paper contributes to the debate by spelling out a theoretical rationale for merger-specific EDM. In our setting with asymmetric information about suppliers’ costs, nonlinear pricing does not suffice to eliminate DM under vertical separation. Our results also highlight the role of bargaining in the severity of the DM phenomenon. In the *Comcast - NBCU* merger, the DoJ concluded that *“much, if not all, of any potential double marginalization is reduced, if not completely eliminated, through the course of contract negotiations.”*³⁰ We find that, ceteribus paribus, more balanced bargaining at the production stage (i.e., when deciding price and quantities) is associated with less severe DM. With vertical integration, only the joint profit of the buyer and the integrated supplier matter, hence the merger eliminates DM: in that sense, EDM is merger specific.

Regarding the welfare effects of vertical integration, it is remarkable that the section of the [2020 U.S. Vertical Merger Guidelines](#) devoted to pro-competitive effects is only

²⁸Speech given in January 2018 at the Crédit Suisse 2018 Washington Perspectives Conference, https://www.ftc.gov/system/files/documents/public_statements/1304213/hoffman_vertical_merger_speech_final.pdf.

²⁹See also Salop and Culley (2016).

³⁰Competitive Impact Statement at 30, *United States v. Comcast Corp.*, 808 F. Supp. 2d. 145 (D.D.C. 2011) (No. 1:11-cv-00106), <http://www.justice.gov/atr/case-document/file/492251/download> or <http://perma.cc/LE6C-U37X>.

concerned with estimating “the likely cost saving to the merged firm from self-supplying inputs that would have been purchased from independent suppliers absent the merger”, but never mentions quantifying the benefits to direct and/or final customers. By contrast, European enforcers explicitly state that, as for efficiency claims in horizontal mergers, EDM claims must satisfy three conditions: any efficiency gain must be verifiable, be merger-specific, and benefit consumers.³¹ Although we do consider the effect of vertical integration on total surplus, the main focus of the paper is on consumer surplus. As put forward by FTC Commissioner Slaughter, “achieving EDM is not guaranteed. Nor are the benefits of EDM always passed along to consumers.”³²

EDM and foreclosure effects are closely intertwined and should always be considered jointly.³³ The welfare effects of vertical integration critically depend on the bargaining environment. We find that foreclosure of independent suppliers does not necessarily harms final consumers. In fact, when the buyer has the same bargaining power at the production and selection stages, her interests are perfectly aligned with those of final consumers. Vertical integration may harm consumers through a biased make-or-buy decision only if the buyer has less bargaining power when negotiating wholesale prices and quantities than when selecting suppliers. These findings call for a thorough examination of pre-merger negotiations. Antitrust enforcers should investigate how suppliers are selected and how quantities are determined. They should document the buyer’s ability to exclude suppliers from negotiations and impose quantity and prices. They could for instance document whether the buyer uses a formal selection process that prevents some non-selected suppliers (“losers”) from participating in subsequent negotiations. Another useful indication of changes in bargaining power would be to observe contractual amendments modifying the agreed tariffs and/or quantities.

The customer foreclosure theory of harm developed in this paper is simple and direct. By contrast, the EU guidelines on non-horizontal mergers suggest an indirect mechanism whereby the reduced access to a large customer for upstream rivals harms downstream

³¹See EU Non-Horizontal Merger Guidelines, [European Commission \(2008\)](#), paragraphs 53 and 55.

³²In the AT&T - Time Warner merger, the DOJ’s expert witness conceded efficiency benefits from EDM of the order of \$350 million: “According to the Government’s expert, Professor Shapiro, EDM would result in AT&T lowering the price for DirecTV by a significant amount: \$1.20 per-subscriber, per month.”, see Judge Leon Memorandum Opinion (page 67), U.S. v. AT&T Inc., *et al.*, June 12, 2018, Civil Case No.17-2511, US District Court of Columbia. However, it appears that AT&T raised the prices of its video streaming service three times during the 18 months that followed the transaction closing. See the contribution to the debate on the Draft Vertical Merger Guidelines by [Public Knowledge and Open Technology Institute](#).

³³See FTC Commissioner Wilson’s reflections on the 2020 Draft Vertical Merger Guidelines, [Wilson \(2020\)](#). See also [Das Varma and De Stefano \(2020\)](#).

rivals and in turn final consumers.³⁴ The [2020 U.S. Vertical Merger Guidelines](#) propose one example of a vertical merger that is based on the same market structure as ours, with a dominant buyer and multiple suppliers, but they do not go as far as elaborating a theory of customer foreclosure.³⁵ In this article, we have demonstrated that when the buyer is able to exclude independent suppliers and double marginalization is limited pre-merger, customer foreclosure causes production costs to rise and the traded quantity to fall. Hence, consumer harm comes *directly* from the impact on upstream rivals. We have checked, however, that foreclosure is a two-edged sword, as put by [Slade \(2020\)](#). Foreclosure may benefit consumers when the pre-merger procurement mechanism is distorted and vertical integration eliminates this preexisting distortion.

The empirical literature on vertical relationships and vertical integration relies on the complete information paradigm, and hence tends to equate double marginalization with linear pricing.³⁶ By contrast, the empirical literature on procurement, auctions and nonlinear pricing emphasizes asymmetric information and develops methods to identify the distributions of suppliers’ costs, while generally assuming strong bargaining power on the buyer side.³⁷ It remains to be seen whether methods from these two strands of empirical literature can be combined to shed light on incomplete information and bargaining in Industrial Organization.

APPENDIX

A Proof of Proposition 1

Supplier S_j ’s utility if he report a cost \hat{c}_j while his true cost is c_j and the other suppliers report truthfully is then

$$U_j(\hat{c}_j; \mathbf{c}) = (M_j - c_j Q_j), \quad (\text{A.1})$$

where Q_j and M_j are evaluated at $(\hat{c}_j, \mathbf{c}_{-j})$. Supplier S_j ’s expected utility is defined as

$$u_j(c_j) = \max_{\hat{c}_j} \mathbb{E}_{\mathbf{c}_{-j}} U_j(\hat{c}_j, \mathbf{c}_{-j}). \quad (\text{A.2})$$

³⁴See Section IV.A.2, “Customer foreclosure”, in [European Commission \(2008\)](#). This theory of customer foreclosure, which is reminiscent of [Ordober, Saloner, and Salop \(1990\)](#), requires to demonstrate successively the effect on upstream suppliers, its transmission to downstream rivals, and the impact on final consumers. The latter aspect generally involves dynamic considerations such as reduced incentives to invest.

³⁵Moreover, this example (Example 5) assumes “supply at a constant unit wholesale price”, leaving the issue of merger-specificity unresolved.

³⁶See Section 1.

³⁷See the recent survey by [Perrigne and Vuong \(2019\)](#).

By the envelope theorem, the derivative of the rent is

$$u'_j(c_j) = -\mathbb{E}_{\mathbf{c}_{-j}} [Q_j(c_j, \mathbf{c}_{-j})], \quad (\text{A.3})$$

where the expectation is with respect to the updated distribution of the selected suppliers' costs. Setting the payment M_j eliminates any rent for the least efficient types, $u_j(c_j^{\text{Sel}}) = 0$. Computing the expected value of $u_j(c_j)$ and integrating by parts yields:

$$\begin{aligned} \mathbb{E}_{\mathbf{c}} U_j(\mathbf{c}) &= \int_{c_j}^{c_j^{\text{Sel}}} u_j(c_j) dF_j(c_j)/F_j(c_j^{\text{Sel}}) = \int_{c_j}^{c_j^{\text{Sel}}} \mathbb{E}_{\mathbf{c}_{-j}} [Q_j(c_j, \mathbf{c}_{-j})] (F_j(c_j)/F_j(c_j^{\text{Sel}})) dc_j \\ &= \mathbb{E}_{\mathbf{c}} \left[Q_j(c_j, \mathbf{c}_{-j}) \frac{F_j(c_j)}{f_j(c_j)} \right]. \end{aligned}$$

Conditional on \mathbf{c} , the weighted industry profit is

$$R \left(\sum_{j \in \mathcal{S}} Q_j \right) - \sum_{j \in \mathcal{S}} M_j + \sum_{j \in \mathcal{S}} \mu_j U_j = R \left(\sum_{j \in \mathcal{S}} Q_j \right) - \sum_{j \in \mathcal{S}} (c_j Q_j + (1 - \mu_j) U_j).$$

Taking the expectation over \mathbf{c} for the updated distributions and substituting for the value of $\mathbb{E}_{\mathbf{c}} U_j$, the expected weighted industry profit can be rearranged into

$$\mathbb{E}_{\mathbf{c}} \left[R \left(\sum_{j \in \mathcal{S}} Q_j \right) - \sum_{j \in \mathcal{S}} \Psi_j(c_j; \mu_j) Q_j \right].$$

The above expression is maximum when the supplier with the lowest weighted virtual cost, $\Psi_j(c_j; \mu_j)$, produces $Q_j = q^m(\Psi_j(c_j; \mu_j))$ and the other suppliers do not produce.

B Monotonicity of the virtual profit

The virtual profit given by (2) decreases with c if and only if

$$(\mu - \lambda) \frac{\Psi(c; \mu) (q^m)'}{q^m} < \frac{cf(c)}{F(c)} \frac{\Psi(c; \mu)}{c} \frac{1 + (1 - \lambda)(F/f)'}{1 + (1 - \mu)(F/f)'}, \quad (\text{B.1})$$

where q^m and $(q^m)'$ are evaluated at $\Psi(c; \mu)$. If $\mu \leq \lambda$, the inequality is automatically satisfied. If $\mu > \lambda$, the last two factors at the right-hand side are larger than one, implying that (B.1) is satisfied if

$$(\mu - \lambda) \varepsilon_q(\Psi(c; \mu)) < \varepsilon_F(c), \quad (\text{B.2})$$

where $\varepsilon_q(c) = -c(q^m)' / q^m$ and $\varepsilon_F = cf / F$ are the elasticities of q^m and F with respect to c . In our baseline example, the suppliers' costs are uniformly distributed on $[0, 1]$, hence $\varepsilon_F = 1$. The elasticity of the monopoly demand $q^m = (a - c)/2$ is $\varepsilon_q = c / (a - c)$, which tends to zero as a grows large. It follows that (B.1) and (B.2) hold when a is large enough.

C Proof of Proposition 2

Assume that the suppliers belonging to a subset \mathcal{S} of $\{0, 1, \dots, n\}$ have been selected and consider the price-quantity bargaining at the second stage of the procurement process. Because the selection rule is monotonic, the distributions of the costs of the selected suppliers $j \in \mathcal{S}$ obtain from right-truncations of the original distributions F_j . Supplier j is selected, $x_j(c_j, c_{-j}) = 1$, is equivalent to $c_j \leq c_j^{\text{Sel}}$ for a certain threshold $c_j^{\text{Sel}}(\mathbf{c}_{-\mathcal{S}})$. The right-truncations leave the virtual costs $\Psi_j(c_j; \mu_j)$ unchanged. From Proposition 1, we know that under the optimal mechanism only the supplier with the lowest virtual cost among the selected suppliers sells a positive quantity, namely $q^m(\Psi_j(c_j; \mu_j))$. The cost of the active supplier is below $c_j^{\text{Prod}}(c_{-j})$ with

$$c_j^{\text{Prod}}(\mathbf{c}_{-j|\mathcal{S}}) = \max \{ c_j \leq \bar{c}_j \mid \Psi_j(c_j; \mu_j) \leq \min_{k \in \mathcal{S} \setminus j} \Psi_k(c_k; \mu_k) \}.$$

Let \tilde{x}_j denote the indicator that the supplier j is selected and active at the production stage. The function $\tilde{x}_j(c_j, c_{-j}) = 1$ is given by $c_j \leq \tilde{c}_j$ with

$$\tilde{c}_j(\mathbf{c}_{-j}) = \min (c_j^{\text{Sel}}(\mathbf{c}_{-\mathcal{S}}), c_j^{\text{Prod}}(\mathbf{c}_{-j|\mathcal{S}})),$$

and is therefore non-increasing in c_j . Conditionally on \mathbf{c}_{-j} , supplier j expected rent is given by

$$\mathbb{E}(x_j U_j \mid c_{-j}) = \int_{c_j}^{\tilde{c}_j(c_{-j})} q^m(\Psi_j(c_j; \mu_j)) F_j(c) dc.$$

At the selection stage, the bargaining mechanism maximizes

$$\begin{aligned}
& \mathbb{E} \sum_j \tilde{x}_j \{R(q^m(\Psi_j(c_j; \mu_j))) - c_j q^m(\Psi_j(c_j; \mu_j)) - U_j(c_j, c_{-j}) + \lambda_j U_j(c_j, c_{-j})\} = \\
& \mathbb{E} \sum_j \tilde{x}_j \left\{ R(q^m(\Psi_j(c_j; \mu_j))) - c_j q^m(\Psi_j(c_j; \mu_j)) - (1 - \lambda_j) \frac{F_j(c_j)}{f_j(c_j)} q^m(\Psi_j(c_j; \mu_j)) \right\} = \\
& \mathbb{E} \sum_j \tilde{x}_j \{R(q^m(\Psi_j(c_j; \mu_j))) - \Psi_j(c_j; \lambda_j) q^m(\Psi_j(c_j; \mu_j))\} = \\
& \mathbb{E} \sum_j \tilde{x}_j \Pi(q^m(\Psi_j(c_j; \mu_j)); \Psi_j(c_j; \lambda_j)).
\end{aligned}$$

The above quantity is maximal if and only if $\tilde{x}_j = 1$ is equivalent to $\pi_j^v = \max_{k \in \mathcal{N}} \pi_k^v$, where the virtual profit is defined by (2). This selection rule is monotonic provided that the virtual profit decreases with c , which defines the optimal selection threshold $c_i^*(c_{-i})$ given by (4). The optimal quantities and payments are given by

$$Q_i(\mathbf{c}) = \begin{cases} q^m(\Psi_i(c_i; \mu_i)) & \text{if } c_i \leq c_i^*(\mathbf{c}_{-i}) \\ 0 & \text{otherwise} \end{cases}$$

and

$$M_i(\mathbf{c}) = \begin{cases} c_i q^m(\Psi_i(c_i; \mu_i)) + \int_{c_i}^{c_i^*(\mathbf{c}_{-i})} q^m(\Psi_i(c; \mu_i)) dc & \text{if } c_i \leq c_i^*(\mathbf{c}_{-i}) \\ 0 & \text{otherwise.} \end{cases}$$

D Proof of Proposition 3

Given the wholesale price $w_i(\tilde{c}_i) = \Psi_i(\tilde{c}_i; \mu_i)$ chosen by the winning S_i , the buyer maximizes $R(q) - w_i(\tilde{c}_i)q$ and thus purchases $q^m(\Psi_i(\tilde{c}_i))$. Anticipating this, S_i chooses \tilde{c}_i to maximize

$$[w(\tilde{c}_i) - c_i]q^m(\Psi_i(\tilde{c}_i; \mu_i)) + M_i(\tilde{c}_i) = [\tilde{c}_i - c_i]q^m(\Psi_i(\tilde{c}_i; \mu_i)) + \int_{\tilde{c}_i}^{c_i^*(s)} q^m(\Psi_i(c; \mu_i)) dc,$$

where the transfer M_i is given by (6). As the above expression is maximal for $\tilde{c}_i = c_i$, S_i chooses the two-part tariff designed for him in the menu. When the clock index is s , S_i anticipates that winning the contract would yield utility

$$\int_{c_i}^{c_i^*(s)} q^m(\Psi_i(c; \mu_i)) dc.$$

As this is positive if and only if $c_i < c_i^*(s)$, remaining in the auction as long as $\pi_i^v(c_i)$ is higher than s is a dominant strategy. It follows that the supplier with the highest virtual profit wins the auction.

E Proof of Proposition 4

Assume first that $\lambda_i = \mu_i > \lambda_j = \mu_j$, which holds in particular under one-stage bargaining. We have: $\pi_i^v(c) = \Pi^m(\Psi(c; \mu_i)) > \Pi^m(\Psi(c; \mu_j)) = \pi_j^v(c)$ for any cost value c . This implies that $c_i > c_j$ along the boundary $\pi^v(c_i) = \pi^v(c_j)$, see Figure 1.

Next, assume that $\lambda_i = \lambda_j = 0$. We have $\pi_i^v(c) < \pi_j^v(c)$ because π_k^v decreases in μ_k when $\lambda_k = 0$, for $k = i, j$. This implies that $c_i < c_j$ along the boundary $\pi^v(c_i) = \pi^v(c_j)$.

The results extend locally by continuity.

F Example (details)

We provide details about the example with two potential suppliers, uniformly distributed costs, and linear demand.

F.1 Vertical separation

Supplier S_0 is selected if and only if $c_1 \geq c_1^{\text{vs}}(c_0)$ with the selection threshold $c_1^{\text{vs}}(c_0)$ given by

$$c_1^{\text{vs}}(c_0) = \frac{a(2 - \lambda_1)}{(2 - \lambda_1)^2 - (\mu_1 - \lambda_1)^2} \times \left[1 - \sqrt{1 + \frac{(2 - \lambda_1)^2 - (\mu_1 - \lambda_1)^2}{a(2 - \lambda_1)} \left[-2 \frac{2 - \lambda_0}{2 - \lambda_1} c_0 + \frac{(2 - \lambda_0)^2 - (\mu_0 - \lambda_0)^2}{a(2 - \lambda_1)} c_0^2 \right]} \right]$$

Under one-stage bargaining, i.e., $\lambda_i = \mu_i$ for $i = 0, 1$, the threshold simplifies into $c_1^{\text{vs}}(c_0) = (2 - \mu_0)c_0 / (2 - \mu_1)$, which is lower than c_0 when $\mu_0 \geq \mu_1$. When B fully controls selection, i.e., $\lambda_0 = \lambda_1 = 0$, the threshold becomes $c_1^{\text{vs}}(c_0) = c_0 + (\mu_0^2 - \mu_1^2)c_0^2 / (4a) + O(c_0^3)$.

Figure 6(a) shows level curves of the virtual profit in the (λ, μ) space. Figure 6(b) plots π_i^v as a function of μ for various value of λ . The black curve (at the bottom of the graph) is for $\lambda = 0$, while the red curve (at the top of the graph) is for $\lambda = 1$. The increasing orange curve is π_i^v when $\lambda = \mu$, it passes through the maximum of the other curves.

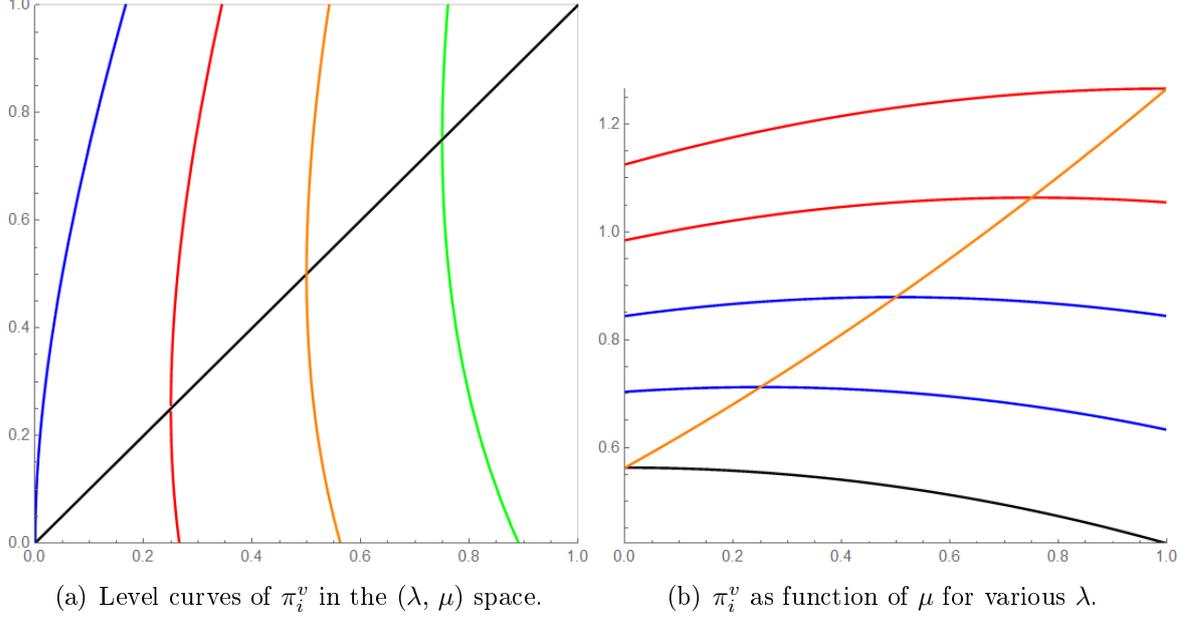


Figure 6: Effect of μ and λ on π_i^v , for a given c_i .

F.2 Vertical integration

There are two potential suppliers ($n = 1$). Their costs are uniformly distributed on $[0, 1]$. Demand is linear. The bargaining weights satisfy: $\lambda_0 = \lambda_1 = 0$, and $\mu_0 = \mu_1 = \mu$.

The customer foreclosure area, OCE , is defined by $c_1^{vi}(c_0) < c_1 < c_0$, with

$$c_1^{vi}(c_0) = \frac{(2 - \lambda_1)a}{(2 - \lambda_1)^2 - (\mu_1 - \lambda_1)^2} \left(1 - \sqrt{1 - \frac{(2 - \lambda_1)^2 - (\mu_1 - \lambda_1)^2}{(2 - \lambda_1)^2 a^2} (2ac_0 - c_0^2)} \right).$$

where the right-hand side is the value of c_1 such that π_1^v and $\Pi^m(c_0)$.³⁸ The *Exploitation* region is defined by c_1 below that threshold. Consumers benefit from VI in the foreclosure region if $c_0 < \Psi(c_1; \mu_1) = (2 - \mu_1)c_1$ and they are hurt, otherwise.

Within the foreclosure area, total welfare increases in the region OCD' defined by

$$c_1 \geq \frac{(4 - \mu)a}{4 - \mu^2} \left(1 - \sqrt{1 - \frac{12(4 - \mu^2)}{(4 - \mu)^2} (c_0/2a - c_0^2/4a^2)} \right),$$

with the equality holding along the line OD' .

³⁸A Taylor series expansion of which about $c_0 = 0$ is $c_0/(2 - \lambda_1) - (\mu_1 - \lambda_1)^2 c_0^2 / (2a(2 - \lambda_1)^3) + O(c_0^3)$.

G Proof of Proposition 8

Because $\Pi^m(c) > \pi_1^v(c)$ for any c , it is a fortiori true that $\Pi^m(c_0) > \pi_1^v(c_1)$ when $c_0 < c_1$. Hence the buyer purchases post-merger from S_0 whenever S_0 is more efficient than S_1 . If pre-merger the buyer purchased from S_1 while $c_1 > c_0$, the merger causes the quantity to move from $q^m(\Psi_1(c_1; \mu_1))$, which is lower than $q^m(c_1)$, to $q^m(c_0)$, hence an increase in quantity that benefits consumers.

In case (a), by monotonicity of the virtual profit in μ , we have $\pi_1^v(c) > \pi_0^v(c)$ for any c , hence $c_1 > c_0$ along the pre-merger selection boundary $\pi_1^v(c_1) = \pi_0^v(c_0)$, represented by the line OA' on Figure 1. In other words, the pre-merger selection is biased against S_0 . The same holds in case (b) using this time the monotonicity of π^v in λ .

To study case (c), we first show that the virtual profit $\pi^v(c) = \Pi(q^m(c + (1 - \mu)z); c + (1 - \lambda)z)$, with $z = F(c)/f(c)$, is decreasing in z . We have

$$\frac{\partial}{\partial z} \Pi(q^m(c + (1 - \mu)z); c + (1 - \lambda)z) = -(1 - \mu)(\mu - \lambda)z(q^m)'(y) - (1 - \lambda)q^m(y),$$

with $y = c + (1 - \mu)z$. The right-hand side of the above equation is negative as soon as the choke price $P(0)$ is high enough.³⁹ It follows that in case (c) we have $\pi_1^v(c) > \pi_0^v(c)$ for any c , which gives the desired result as above.

H Proof of Proposition 9

To compare the industry profit under each possible vertical integration, we first compute the expected profit loss relative to the maximum industry profit achieved when the most efficient supplier is active, i.e., we subtract $\iint \Pi^m(\min(c_0, c_1)) dF_0 dF_1$. The difference involves only the foreclosure region. When B integrates with S_0 , this loss is:

$$L^0 = \iint_{c_1 \leq c_0 \leq (\Pi^m)^{-1}(\Pi_1^v(c_1))} [\Pi^m(c_0) - \Pi^m(c_1)] f_0(c_0) f_1(c_1) dc_0 dc_1$$

Similarly, when B integrates with S_1

$$L^1 = \iint_{c_0 \leq c_1 \leq (\Pi^m)^{-1}(\Pi_0^v(c_0))} [\Pi^m(c_1) - \Pi^m(c_0)] f_0(c_0) f_1(c_1) dc_0 dc_1.$$

³⁹Replacing $P(q)$ with $P(q) + a$, $a > 0$, increases the quantity $q^m(c)$ without changing its derivative.

The latter can be rewritten, exchanging labels of the cost variables:

$$L^1 = \iint_{c_1 \leq c_0 \leq (\Pi^m)^{-1}(\Pi_0^v(c_1))} [\Pi^m(c_0) - \Pi^m(c_1)] f_0(c_1) f_1(c_0) dc_0 dc_1$$

Because c_0 is lower than c_1 in the likelihood ratio order, the same is true in the sense of the hazard rate, which implies $\Psi_0 > \Psi_1$ and the ordering of the virtual profits:

$$\Pi_1^v(c_1) = R(q^m(c_1)) - \Psi_1(c_1)q^m(c_1) > R(q^m(c_1)) - \Psi_0(c_1)q^m(c_1) = \Pi_0^v(c_1).$$

As the function Π^m is decreasing, the foreclosure region is larger when the buyer merges with S_1 than when she merges with S_0 :

$$(\Pi^m)^{-1}(\Pi_1^v(c_1)) < (\Pi^m)^{-1}(\Pi_0^v(c_1)).$$

It follows that

$$\begin{aligned} L^0 - L^1 &= \iint_{c_1 \leq c_0 \leq (\Pi^m)^{-1}(\Pi_1^v(c_1))} [\Pi^m(c_0) - \Pi^m(c_1)] [f_0(c_0)f_1(c_1) - f_0(c_1)f_1(c_0)] dc_0 dc_1 \\ &+ \iint_{(\Pi^m)^{-1}(\Pi_1^v(c_1)) \leq c_0 \leq (\Pi^m)^{-1}(\Pi_0^v(c_1))} [\Pi^m(c_0) - \Pi^m(c_1)] f_0(c_0)f_1(c_1) dc_0 dc_1. \end{aligned}$$

As $c_0 \geq c_1$, we have $f_0(c_0)f_1(c_1) \leq f_0(c_1)f_1(c_0)$ and $\Pi^m(c_0) \leq \Pi^m(c_1)$ in both integrals, implying that the first and second terms are nonnegative. It follows that L^0 is larger than L_1 , the desired result.

I Proof of Proposition 10

When B integrates with S_0 , the non-weighted industry profit is given by

$$\begin{aligned} \Pi_{BS_0}^0 + \Pi_{S_1}^0 &= \iint_{c_0 \leq \Psi(c_1; \mu_1)} \Pi^m(c_0) dF(c_0) dF(c_1) \\ &+ \iint_{c_0 \geq \Psi(c_1; \mu_1)} \Pi(q^m(\Psi(c_1; \mu_1)); c_1) dF(c_0) dF(c_1). \end{aligned}$$

Similarly, when B integrates with S_1 , the non-weighted industry profit is given by

$$\begin{aligned}\Pi_{BS_1}^1 + \Pi_{S_0}^1 &= \iint_{c_1 \leq \Psi(c_0; \mu_0)} \Pi^m(c_1) dF(c_0) dF(c_1) \\ &+ \iint_{c_1 \geq \Psi(c_0; \mu_0)} \Pi(q^m(\Psi(c_0; \mu_0)); c_0) dF(c_0) dF(c_1).\end{aligned}$$

By symmetry of the cost distributions, we can exchange the labels of the cost variables and rewrite the above expression as

$$\begin{aligned}\Pi_{BS_1}^1 + \Pi_{S_0}^1 &= \iint_{c_0 \leq \Psi(c_1; \mu_0)} \Pi^m(c_0) dF(c_0) dF(c_1) \\ &+ \iint_{c_0 \geq \Psi(c_1; \mu_0)} \Pi(q^m(\Psi(c_1; \mu_0)); c_1) dF(c_0) dF(c_1).\end{aligned}$$

Because μ_0 is larger than μ_1 , the buyer is more likely to supply internally when she integrates with S_0 than when she integrates with S_1 :

$$\Psi(c_1; \mu_0) \leq \Psi(c_1; \mu_1).$$

In other words, there is more foreclosure if she acquires S_0 than if she acquires S_1 . The differences in industry profits in the two configurations is therefore given by

$$\begin{aligned}\Pi_{BS_1}^1 + \Pi_{S_0}^1 &- \Pi_{BS_0}^0 - \Pi_{S_1}^0 \\ &= \iint_{\Psi(c_1; \mu_0) \leq c_0 \leq \Psi(c_1; \mu_1)} [\Pi(q^m(\Psi(c_1; \mu_0)); c_1) - \Pi^m(c_0)] dF(c_0) dF(c_1) \\ &+ \iint_{c_0 \leq \Psi(c_1; \mu_1)} [\Pi(q^m(\Psi(c_1; \mu_0)); c_1) - \Pi(q^m(\Psi(c_1; \mu_1)); c_1)] dF(c_0) dF(c_1).\end{aligned}$$

The first term above is positive because $\Pi(q^m(\Psi(c_1; \mu_0)); c_1) \geq \Pi(q^m(c_0); c_1) \geq \Pi^m(c_0)$. The second term above is positive as well because $q^m(\Psi(c_1; \mu_1)) \leq q^m(\Psi(c_1; \mu_0)) \leq q^m(c_1)$. It follows that the (non-weighted) industry profit is larger when the buyer merges with S_1 , and hence she prefers to merge with that supplier.

J Merging with the most aggressive supplier

Suppose that the buyer fully controls the selection decision: $\lambda_0 = \lambda_1 = 0$, the two potential suppliers have the same cost distribution F , and the bargaining weights at the production stage satisfy $\mu_0 > \mu_1$.

On the one hand, there is now *less* foreclosure if the buyer integrates with S_0 than if she integrates with S_1 .⁴⁰ On the other, the quantity distortion when she purchases from the independent supplier is lower if she integrates with S_1 . The former effect pushes the buyer to merge with S_0 , the latter to integrate with S_1 .

The sign of the difference in total industry profit is ambiguous:

$$\begin{aligned} \Pi_{BS_0}^0 + \Pi_{S_1}^0 & - \Pi_{BS_1}^1 - \Pi_{S_0}^1 \\ & = \iint_{(\Pi^m)^{-1}(\Pi_1^v(c_1)) \leq c_0 \leq (\Pi^m)^{-1}(\Pi_0^v(c_1))} [\Pi(q^m(\Psi(c_1; \mu_1)); c_1) - \Pi^m(c_0)] dF(c_0) dF(c_1) \\ & + \iint_{c_0 \geq (\Pi^m)^{-1}(\Pi_0^v(c_1))} [\Pi(q^m(\Psi(c_1; \mu_1)); c_1) - \Pi(q^m(\Psi(c_1; \mu_0)); c_1)] dF(c_0) dF(c_1). \end{aligned}$$

The first term is positive as $\Pi^m(c_0) < \Pi_1^v(c_1) < \Pi(q^m(\Psi(c_1; \mu_1)); c_1)$ in the corresponding region. The second term is negative as it just the opposite of the corresponding term in the proof of Proposition 10.

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⁴⁰This is because $(\Pi^m)^{-1}(\Pi_1^v(c_1)) < (\Pi^m)^{-1}(\Pi_0^v(c_1))$. This inequality comes from $\Pi(q^m(c_1); c_1 + F/f(c_1)) = \Pi_0^v(c_1) < \Pi_1^v(c_1) = \Pi^m(c_1 + F/f(c_1))$.

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